

Wizualizacja danych

Wykład 3: Fundamentalne zasady projektowania graficznego

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Instytut Astronomii UMK

DataViz, 2024/2025



Hierarchia



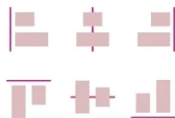
Balans



Wyróżnienie



Wyrównanie



Linie



Kompozycja



Kształt



Bliskość



Przestrzeń



Kontrast



Powtórzenie



Skala



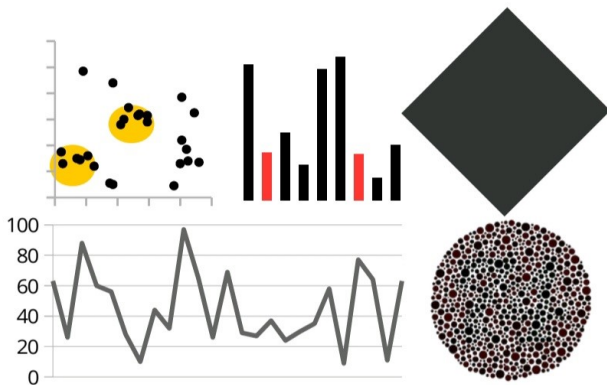
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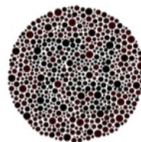
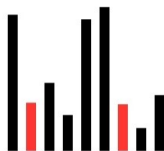
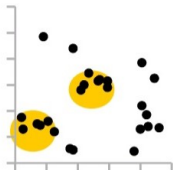
- W tradycyjnym projektowaniu graficznym (postery, ulotki, czasopisma, web dev) wszelkie ozdobniki (tj. elementy estetyczno-artystyczne) mają wzbudzać emocje, wywoływać skojarzenia, wyrażać ukryty przekaz itp.
- W DataViz nie ma miejsca na żadne ozdobniki: każdy element wykresu ma ilustrować dane/tezę lub ew. ułatwiać odbiorcy interpretację.
- Wg Tuftego celem jest maksymalizacja *data-to-ink ratio*.

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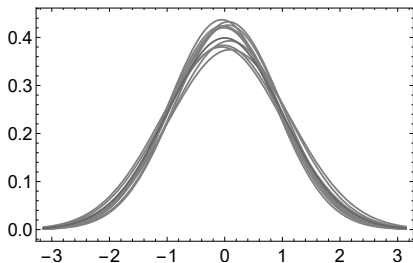
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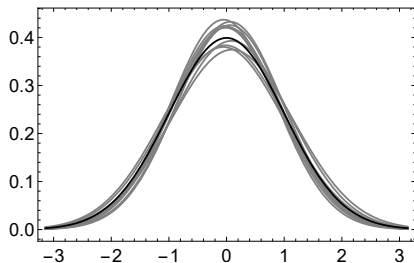
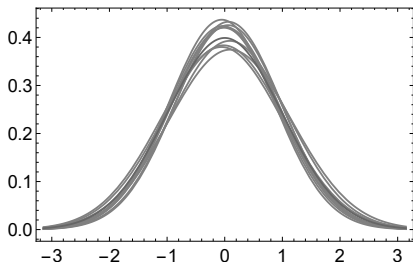




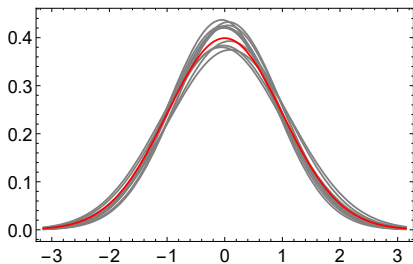
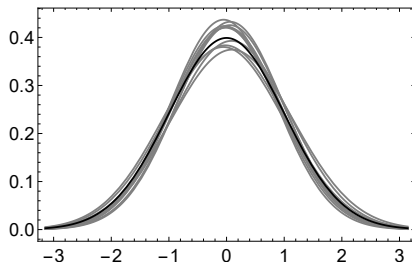
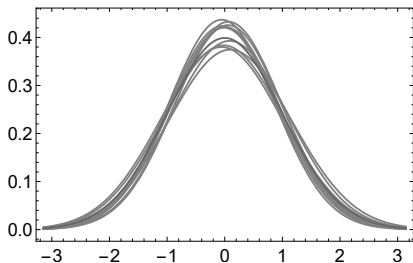
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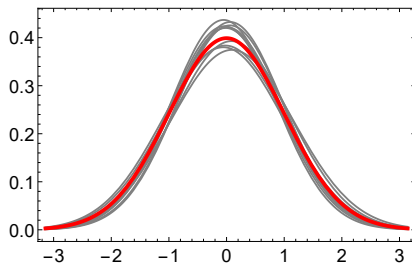
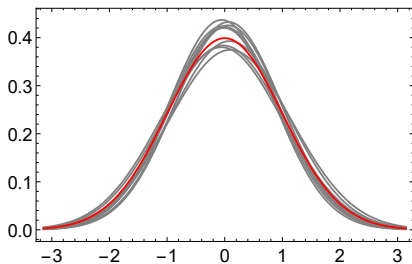
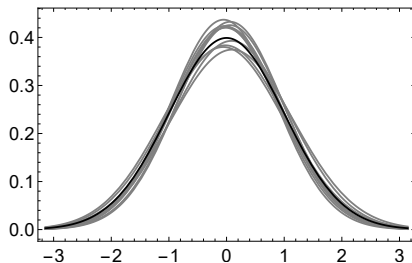
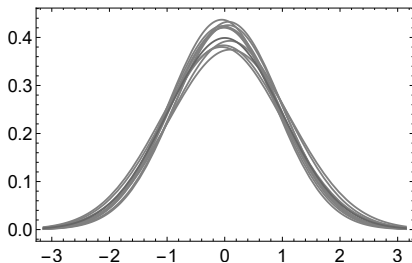
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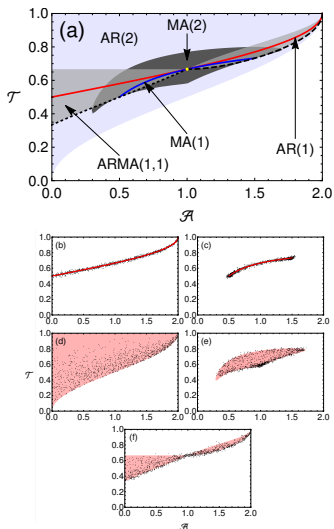
Wyróżnienie



Wyróżnienie

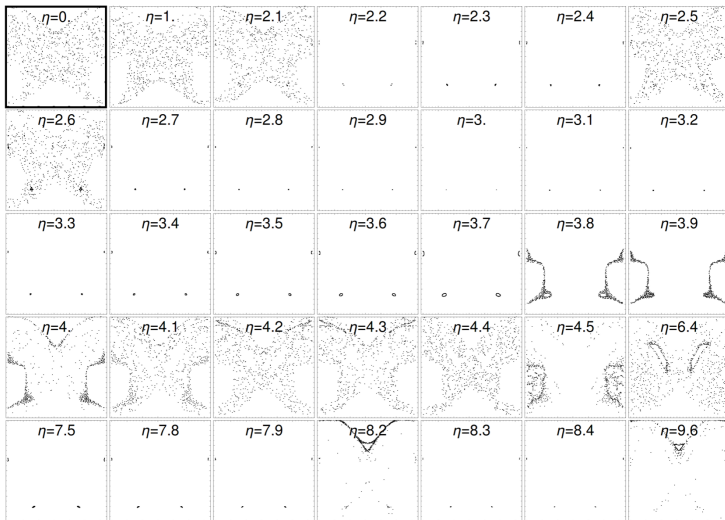


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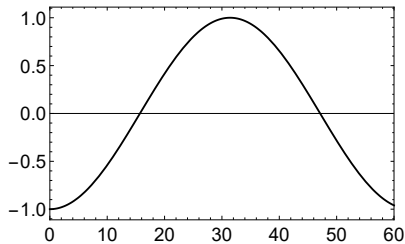
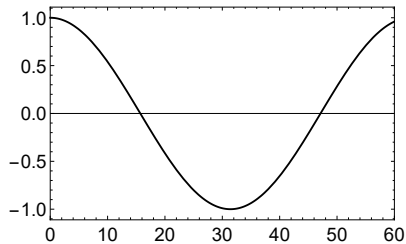
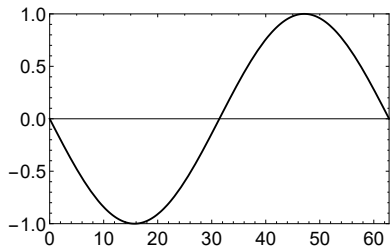
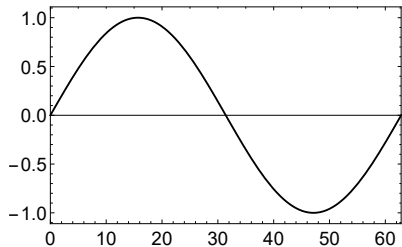
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Wyróżnienie

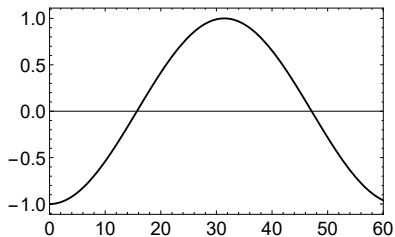
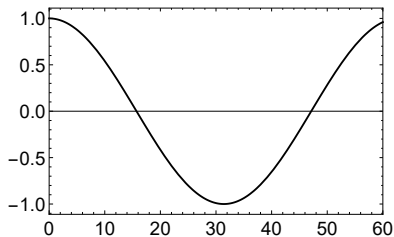
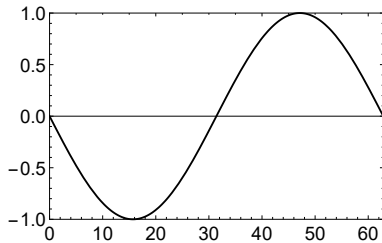
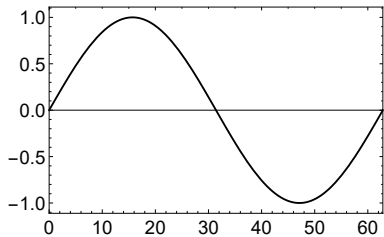


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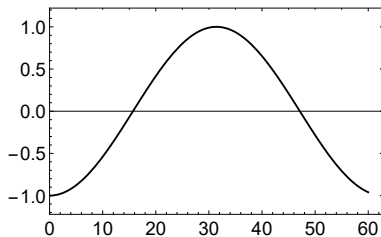
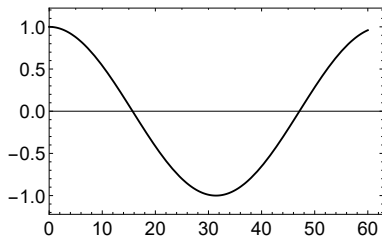
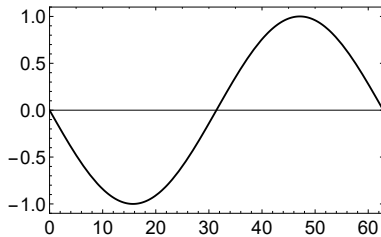
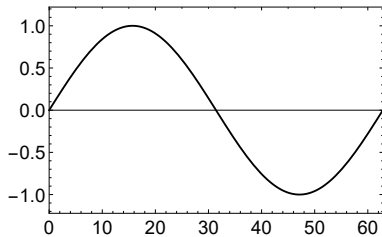
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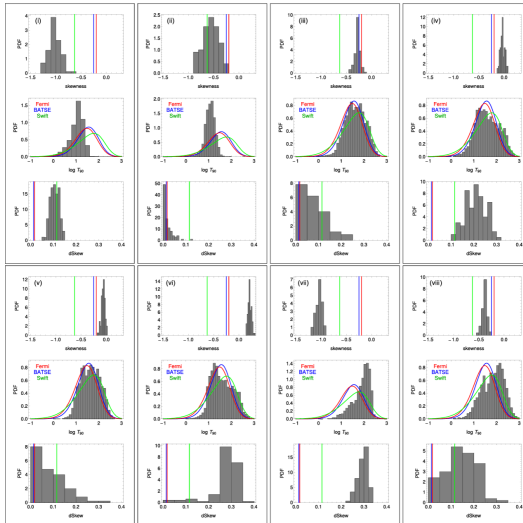


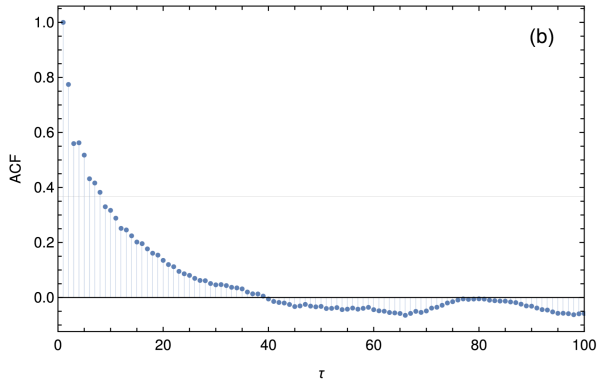
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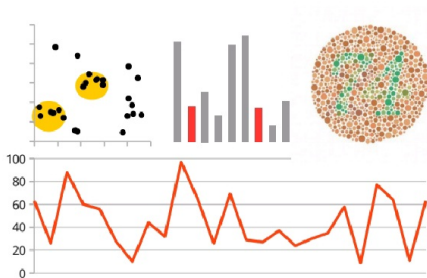
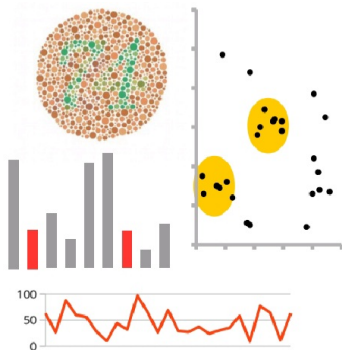
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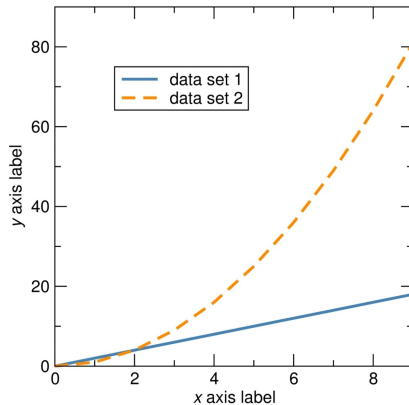
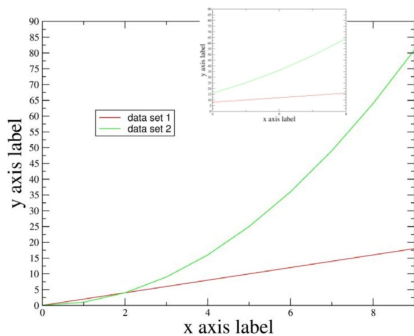




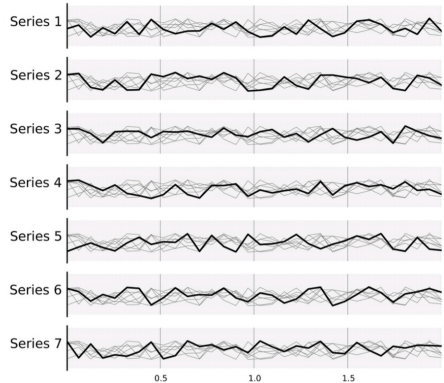
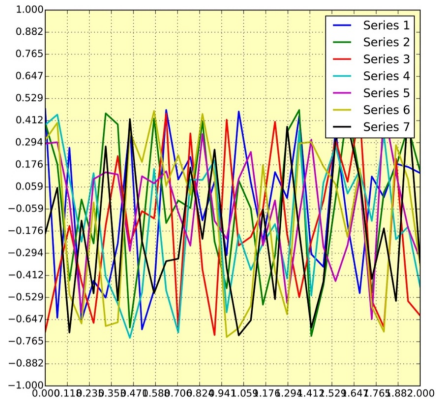
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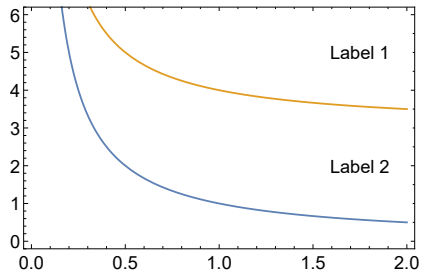


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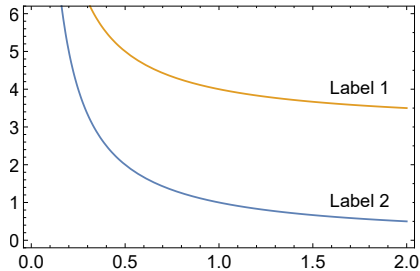
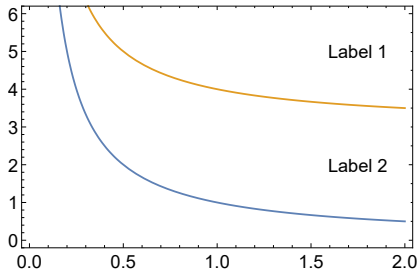


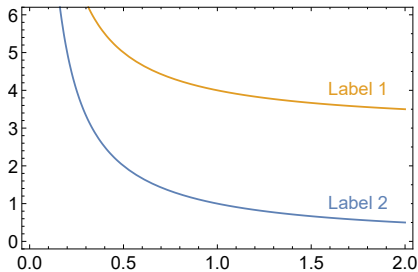
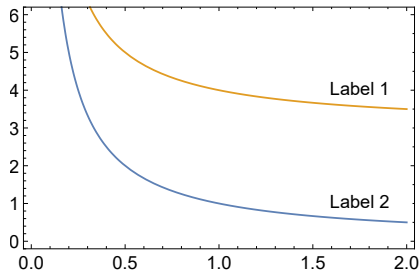
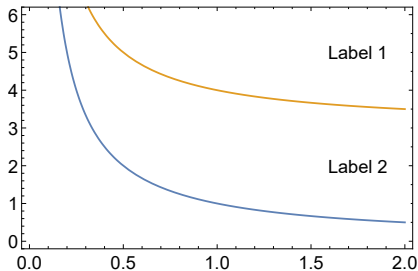
Kompozycja





Bliskość





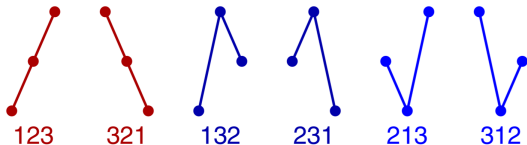
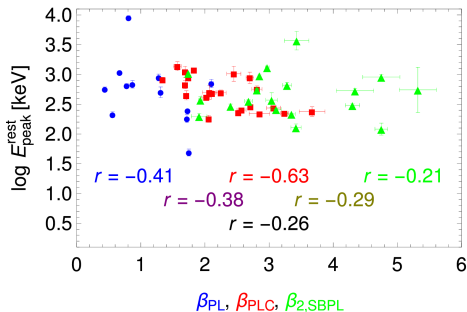
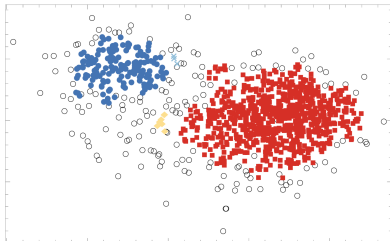


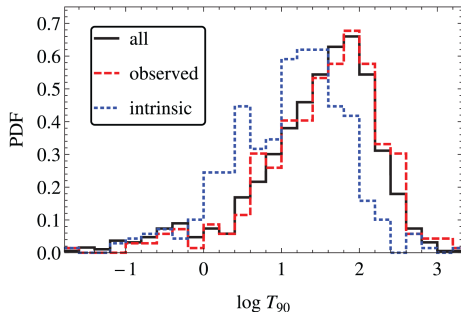
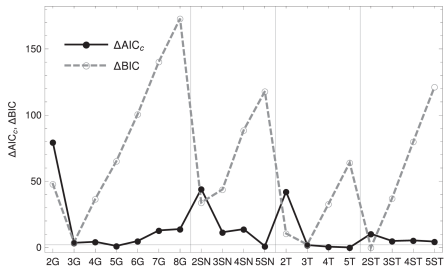
FIG. 1. Order patterns for three points.

Kształt na wykresie



<https://doi.org/10.1051/0004-6361/202038645>;
<https://doi.org/10.3847/1538-4357/abe5b1>

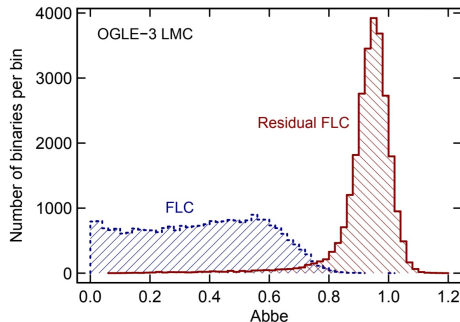
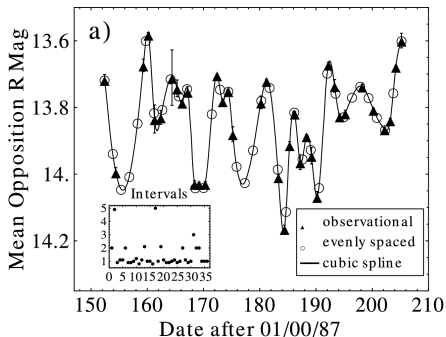
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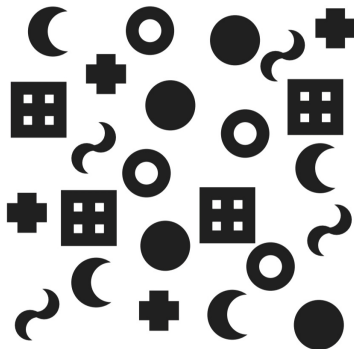
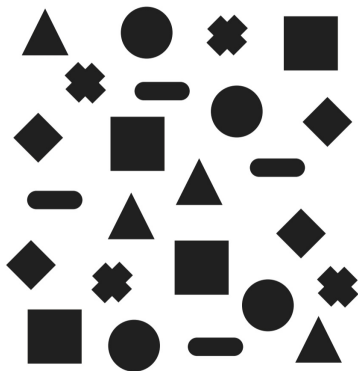
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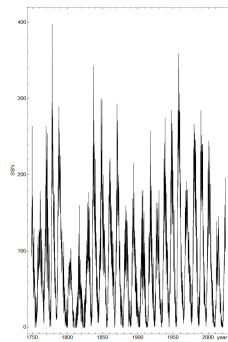
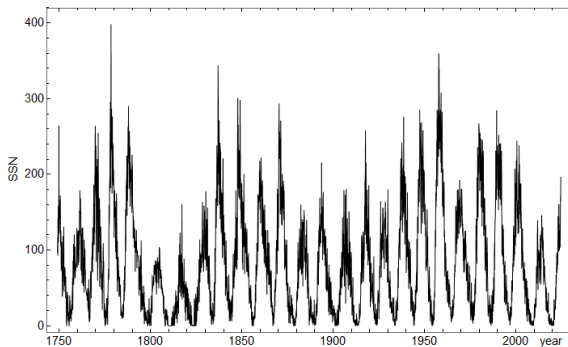
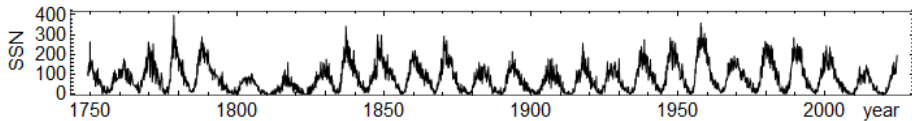
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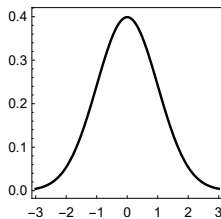
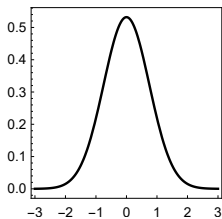
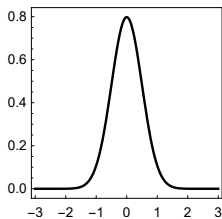
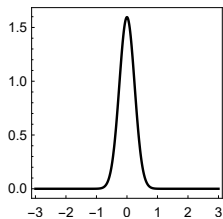


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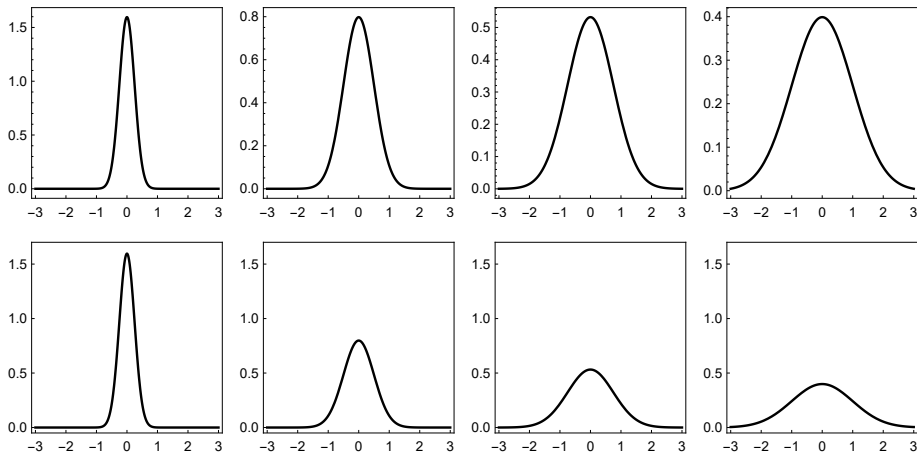
Kształt

wykresu





Przestrzeń



Kontrast

SHAPE



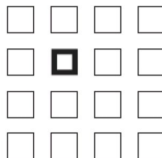
SIZE



ORIENTATION



WEIGHT



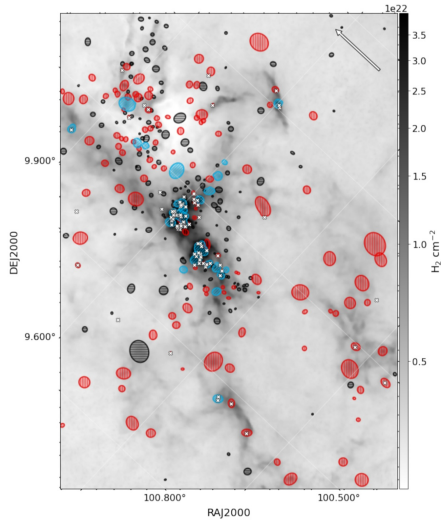
POSITION



COLOR

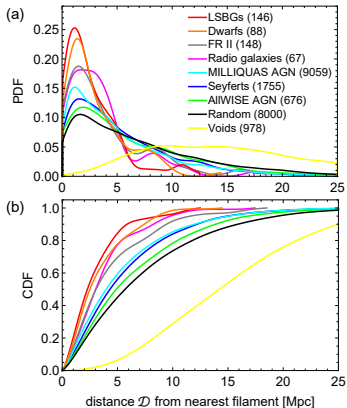


Kontrast



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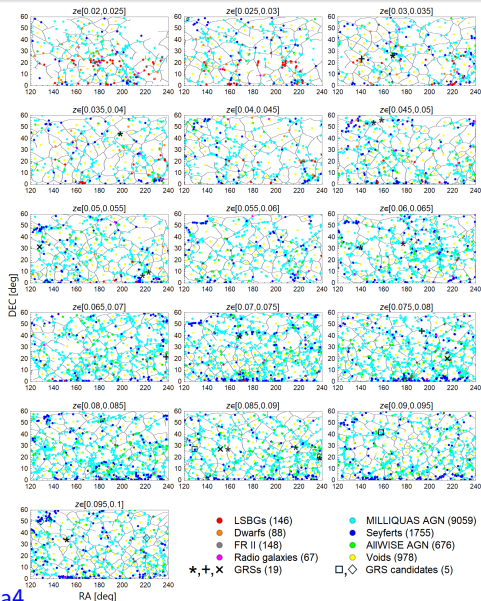
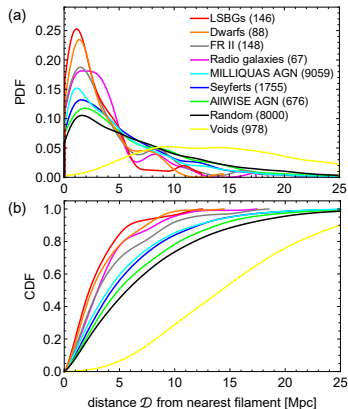
Powtórzenie



⋮

<https://doi.org/10.3847/1538-4357/acd9a4>

Powtórzenie



<https://doi.org/10.3847/1538-4357/acd9a4>

Table 1. Parameters of the fits to the *Ferni* data. Label corresponds to labels from Fig. 2. The smallest AIC is marked in bold, and p is the number of parameters in a model.

Label	Dist.	i	μ_i	σ_i	a_i	δ_i	β_i	A_i	$\mathcal{L}_{\text{min}}$	AIC	ΔAIC	Pr	p
(a)	2-G	1	-0.073	0.525	-	-	-	0.215	-1711.342	3432.683	4.459	0.108	5
		2	1.451	0.463	-	-	-	0.785	-	-	-	-	-
		3	1.530	0.426	-	-	-	0.662	-	-	-	-	-
(b)	3-G	1	-0.409	0.379	-	-	-	0.107	-1707.672	3431.343	3.119	0.210	8
		2	0.668	0.570	-	-	-	0.231	-	-	-	-	-
		3	1.530	0.426	-	-	-	0.662	-	-	-	-	-
(c)	2-SN	1	-0.735	0.954	2.819	-	-	0.208	-1707.112	3428.224	0	1	7
		2	1.865	0.664	-1.507	-	-	0.792	-	-	-	-	-
		3	1.515	0.426	0.044	-	-	0.662	-	-	-	-	-
(d)	3-SN	1	-0.415	0.379	0.019	-	-	0.107	-1707.672	3437.343	9.119	0.010	11
		2	0.726	0.573	-0.127	-	-	0.231	-	-	-	-	-
		3	1.515	0.426	0.044	-	-	0.662	-	-	-	-	-
(e)	2-SAS	1	1.537	0.468	-	-0.014	1.068	0.685	-1706.089	3430.177	1.953	0.377	9
		2	2.158	0.146	-	-2.387	0.756	0.315	-	-	-	-	-
		3	0.434	1.063	-	-0.370	2.111	0.214	-1704.248	3436.497	8.273	0.016	14
(f)	3-SAS	1	0.473	0.402	-	-4.161	2.680	0.111	-	-	-	-	-
		2	1.529	0.468	-	0.020	1.087	0.675	-	-	-	-	-
		3	1.529	0.468	-	0.020	1.087	0.675	-	-	-	-	-
(g)	1-ASN	1	0.744	0.590	-1.712	-	-	1	-1725.038	3456.077	27.853	$<10^{-8}$	3
		2	1.150	0.483	-0.667	-	-	0.814	-1710.427	3434.853	6.629	0.036	7

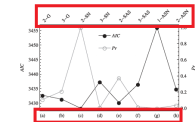


Figure 3. AIC and relative probability (Pr) for the *Ferni* models.

3.2.2 BATSE and Swift

The results are slightly different for the BATSE and *Swift* data sets, and are displayed in graphical form in Figs 4 and 5. Here, instead of fitting a 1-ASN and a 2-ASN, a 2-ASN and a 3-ASN distributions are fitted, because the 1-ASN yielded an AIC so large that a comparison with other models would be uninteresting. For both samples, the minimal AIC is obtained for a mixture of three standard Gaussians, hence the results of all the previous analyses are confirmed (Horváth 2002; Horváth et al. 2009; Zhang & Chou 2009; Horváth 2009; Huga & Ripo 2009; Huja et al. 2009; Zitouni et al. 2015). However, for the second best models (2-SAS and 2-SN for BATSE and *Swift*, respectively), the ΔAIC is ≈ 1 , corresponding to a relative probability of 57.9 per cent and 63.2 per cent for BATSE and *Swift*, respectively (see Tables 2 and 3). This is a substantial

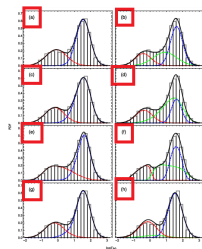
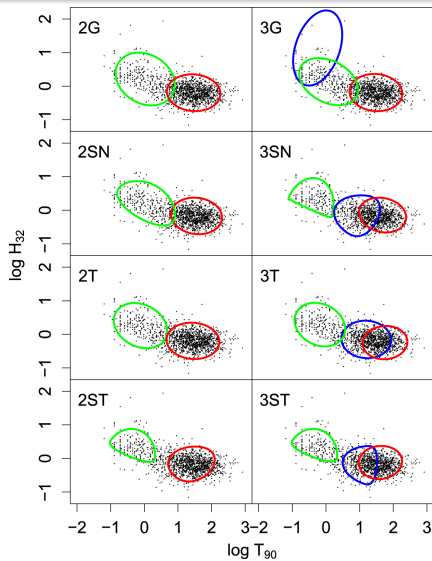
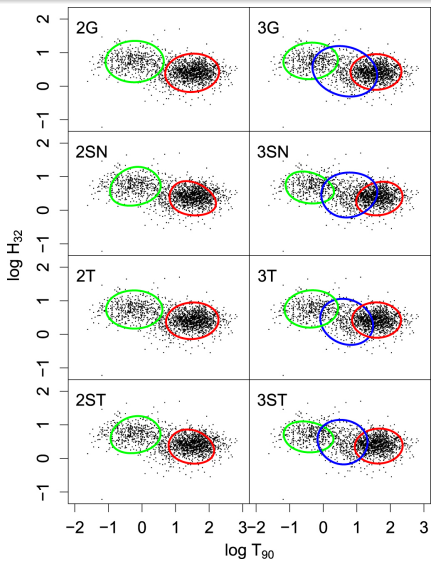


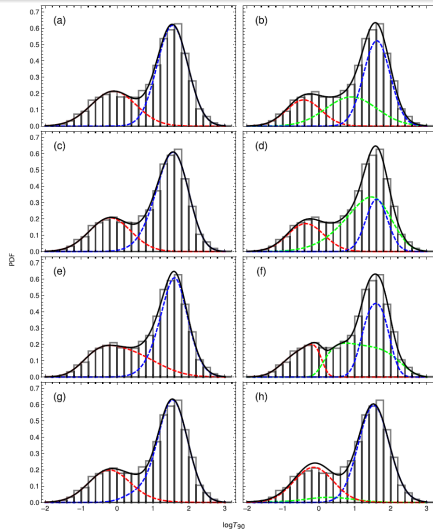
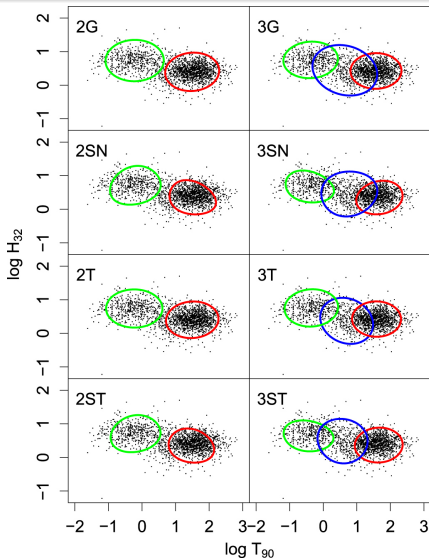
Figure 4. Distributions fitted to $\log T_{90}$ data from the BATSE current catalogue. Colored dashed curves are the components of the (black solid) mixture distribution. The panels show a mixture of (a) two standard Gaussians, (b) three standard Gaussians, (c) 2-SN, (d) 3-SN, (e) 2-SAS, (f) 3-SAS, (g) 2-ASN, and (h) 3-ASN distributions.

Powtórzenie ✓

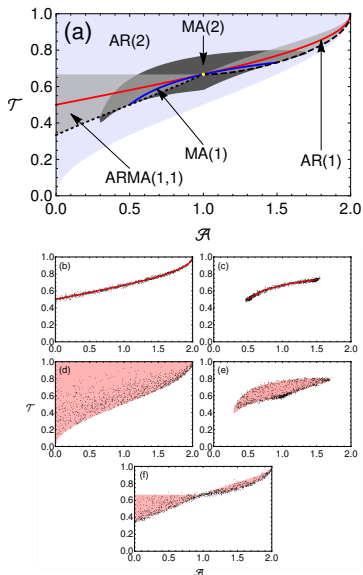
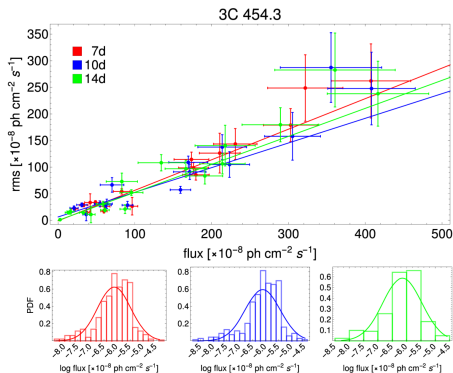


<https://doi.org/10.3847/1538-4357/aaf1c5>

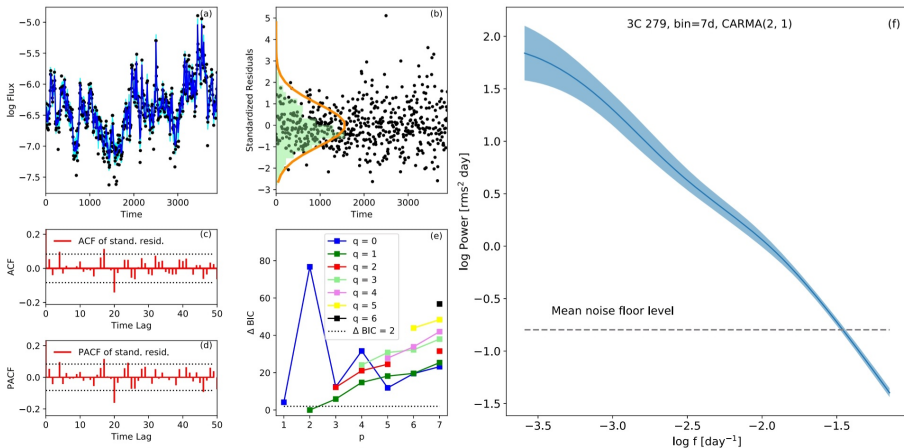
Powtórzenie X



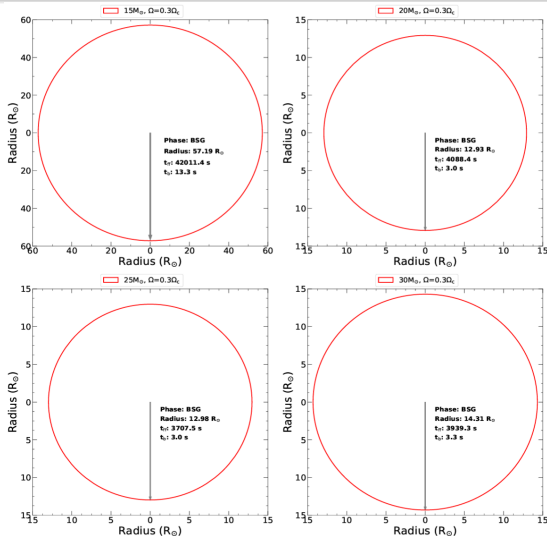
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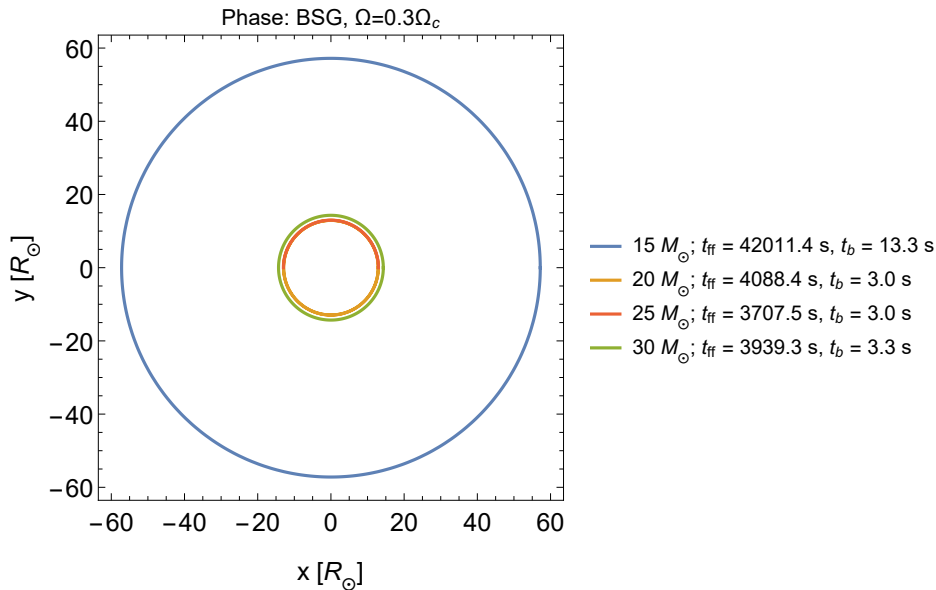
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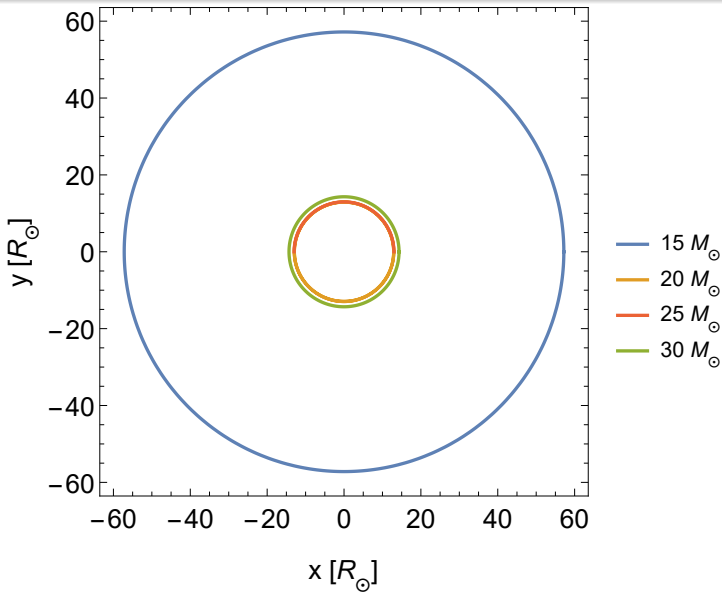


<https://doi.org/10.3847/1538-4365/aba2c7>



<https://doi.org/10.3847/1538-4357/ad5554>





Hierarchia

Hierarchia ułatwia dostrzeżenie na wykresie tego co najistotniejsze. Tzn. elementy najważniejsze powinny najbardziej rzucać się w oczy.

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- Hierarchia typografii — np. wielkość czcionki w nagłówkach tekstu; wielkość etykiet na wykresie itp.
- Elementy graficzne — powiązanie z wyróżnieniem (slajd 6), kontrastem (slajd 25) i skalą (slajd 31), ale też balansem (slajd 4), kompozycją (slajd 16) i kształtem (slajd 19).

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